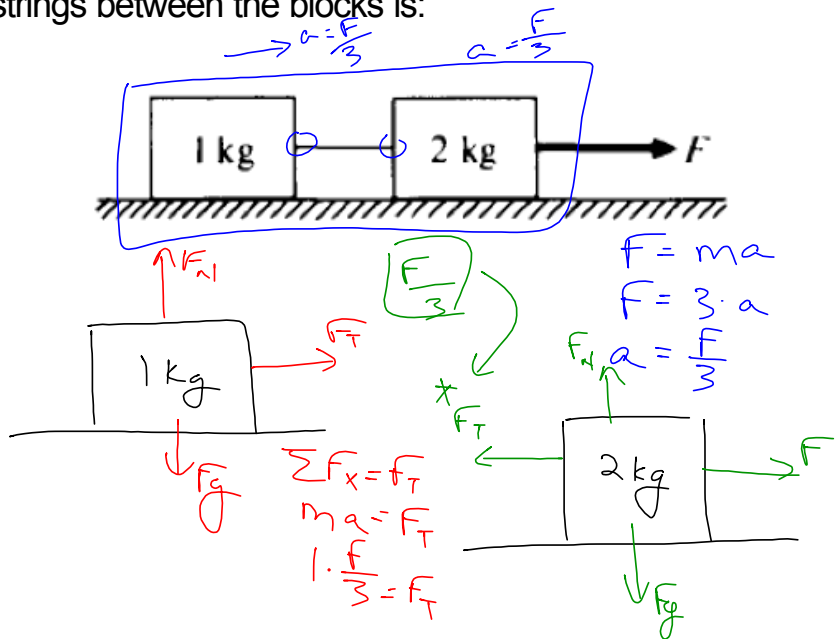


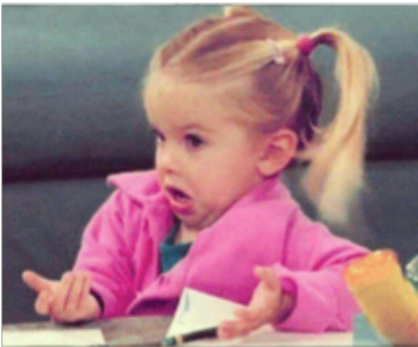
Warm - Up: Monday, October 17th

When the frictionless system shown is accelerated by an applied force of magnitude, the tension in the strings between the blocks is:

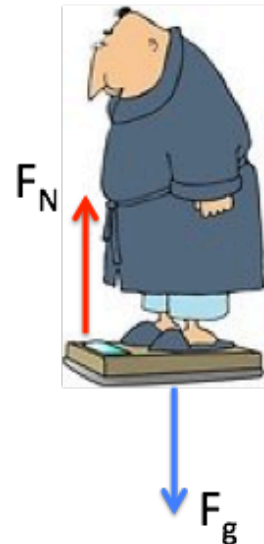
- ~~A. $2F$~~
- ~~B. F~~
- C. $\frac{2}{3}F$
- ~~D. $\frac{1}{2}F$~~
- E. $\frac{1}{3}F$



Bathroom Scales



- So how does a bathroom scale actually measure you?

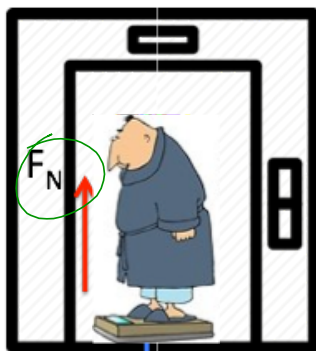


- Measures the normal force needed to support you.
- Equilibrium is good, but what if the force of gravity wins?

Bathroom Scale in Elevators (why not?!)

- Let's see what happens if we put the scale in the elevator

Going Up



$$\begin{aligned} \Sigma F_y &= F_N - F_g \\ ma &= F_N - F_g \\ ma + F_g &= F_N \end{aligned}$$

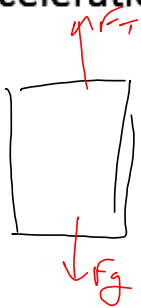
Going Down



$$\begin{aligned} \Sigma F_y &= F_N - F_g \\ m(-a) &= F_N - F_g \\ F_g - ma &= F_N \end{aligned}$$

Example 11

The cable supporting a 2,125 kg elevator has a maximum strength of 21,750 N. What maximum acceleration can it give the elevator without breaking? Indicate both the magnitude and direction of this acceleration.



$\uparrow a$

$$\Sigma F_y = F_T - F_g$$

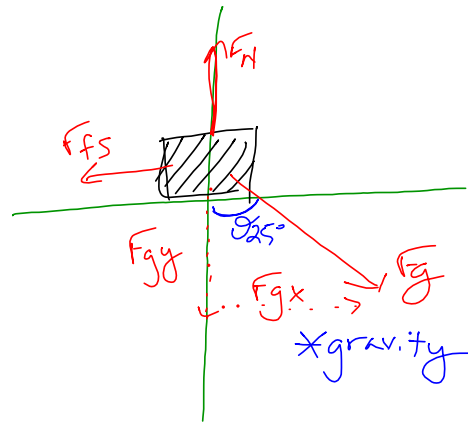
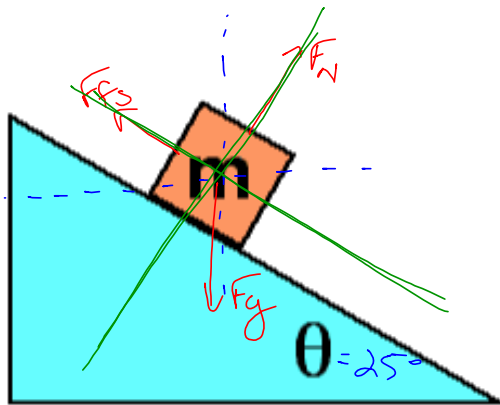
$$ma = F_T - F_g$$

$$a = \frac{F_T - F_g}{m}$$

$$a = \frac{21,750 - (2,125)(9.8)}{2,125}$$

$$a = 0.44 \text{ m/s}^2$$

- Tricks for problems on inclines.....



*Tilt our axis

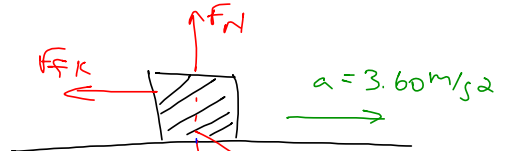
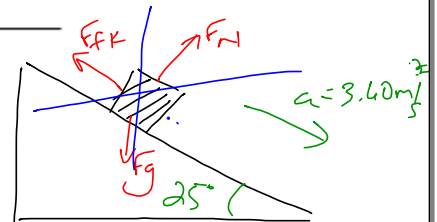
Example 12

A ~~75.0~~^{70.0} kg box slides down a 25.0° ramp with an acceleration of 3.60 m/s²

Equilibrium or Non-equilibrium ΣF_x : $\Sigma F_x = ma$

Equilibrium or Non-equilibrium ΣF_y : $\Sigma F_y = 0$

- A. Draw a FBD and an 'adjusted' FBD
- B. Calculate the components for the force of gravity
- C. Write a statement for ΣF_x and ΣF_y
- D. Calculate the value of the normal force
- E. What is the coefficient of kinetic friction (μ_k)



$$\Sigma F_x = F_{gx} - F_{fk}$$

$$ma = F_{gx} - F_{fk}$$

$$m a = F_{gx} - \mu_k \cdot F_N$$

$$(70)(3.60) = 289.9 - \mu_k(621.7)$$

$$\mu_k = 0.061$$

$$\Sigma F_y = F_N - F_{gy}$$

$$0 = F_N - F_{gy}$$

$$F_{gy} = F_N$$

$F_N = 621.7 \text{ N}$

$$F_{gx} = \sin(25^\circ) \cdot F_g$$

$$F_{gx} = 289.9 \text{ N}$$

$$F_{gy} = \cos(25^\circ) \cdot F_g$$

$$F_{gy} = 621.7 \text{ N}$$

$$F = mg$$

$$F_g = (70)(9.8)$$

$$F_g = 686 \text{ N}$$