

# Ohm's Law Observations



Connect the two batteries together

Find a ~~100~~  $\Omega$ , 330  $\Omega$ , 560  $\Omega$ , and 1,000  $\Omega$  resistor

Make a simple circuit connecting all four resistors together in one continuous line.

Measure voltage  $R \uparrow$   $V \uparrow$

Trend?

Make a simple circuit with only one resistor at a time.

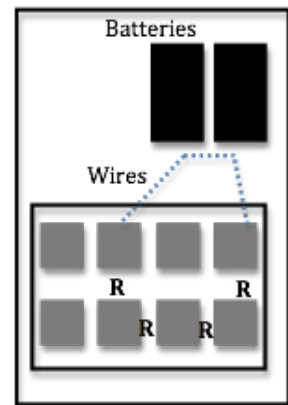
Measure voltage  $\times$  One resistor will take all available voltage

Trend?

Make a simple circuit with only one resistor at a time.

Measure current  $R \uparrow$   $I \downarrow$

Trend?



R = Resistor

# Ohm's Law



- Voltage, current, and resistance are connected through Ohm's Law
  - Voltage used, referred to as the 'voltage drop'
- \*  $V = IR$
- Resistance varies directly with voltage and indirectly with current. \*Resistors take all voltage if alone
  - *At least for all Ohmic materials (materials that follow Ohm's Law - based on reactions to heat)*
    - *Ohmic: Silver, copper, etc...*
    - *Non-Ohmic: PN transistors, diodes*

# Electrical Power



- The rate at which electrical energy is utilized in a circuit
  - Electrical energy transformed into other forms of energy (kinetic energy, thermal energy, etc...)

$R =$

$\frac{P}{I \cdot R}$

$P = I \cdot V$

$V = I \cdot R$

- $I$  = current flowing through device
- $V$  = 'voltage' or potential difference across device

$P = I \cdot V$   
 $P = (\frac{V}{R}) \cdot V$   
 $V = I \cdot R$   
 $I = \frac{V}{R}$

- \* Combination Formulas:  
 \*Using Ohm's Law

$P = I^2 \cdot R$   
 $P = I \cdot V$   
 $P = I^2 \cdot R$   
 $V = I \cdot R$

$P = \frac{V^2}{R}$

# Electrical Power



- Power used by a device can change based on the current and voltage available.
- One constant with the device is the resistance it affords.

# Power Question

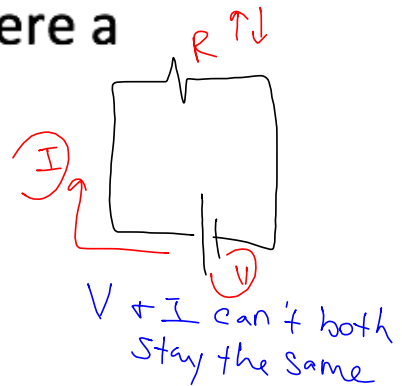


- The equation  $P = V^2/R$  indicates that the power dissipated in a resistor decreases if the resistance increases whereas the equation  $P = I^2R$  implies the opposite. Is there a contradiction here? Explain?

$\downarrow P = \frac{V^2}{R} \uparrow$   
 Assume voltage is constant

\* Current would have to change

$\uparrow P = I^2 \cdot R \uparrow$   
 Current stays constant  
 $V = IR$   
 $I = \frac{V}{R}$   
 $I = \frac{V^2}{R^2}$



## Answer



- To say that  $P = V^2/R$  indicates a decrease in power as resistance increases assumes a constant voltage
- To say that  $P = I^2R$  indicates an increase in power as resistance increases assumes a constant current.
- Only one of those can be true for any given situation.
- If the resistance changes and the voltage is constant, then the current must also change. (Resistance goes up, power goes down)
- If the resistance changes and the current is constant, then the voltage must also change. (Resistance goes up – all values go up)

## What you pay for....



- When you get your power bill...you're not *actually* paying for power. You pay for energy usage
- Power companies use the **kilowatt-hour**
- To calculate:
  - Find <sup>\*</sup>power in kW
  - Find time in hours
  - Multiply together to get kW-hours
  - Multiply by rate to find total cost

## Example 4



A 550.0 W toaster is in use for 10.0 minutes each morning, four mornings a week for four weeks making perfectly toasted bagels for all! If the power company charges 12.0 cents per kilowatt-hour, how much must you pay to toast your tasty bagels?

$$\frac{P}{P = 550 \text{ W} = 0.55 \text{ kW}}$$

time

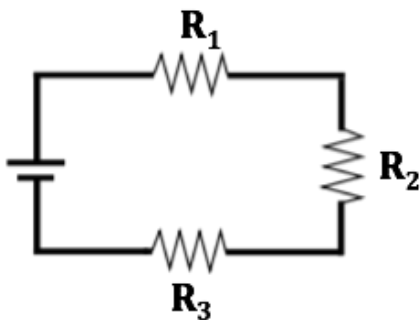
$$10 \text{ min} \times 4 \text{ mornings} \times 4 \text{ weeks} = 160 \text{ min.}$$

$$(0.55)(2.66) = 1.46 \text{ kW-hours} = 17.56$$



# Summary

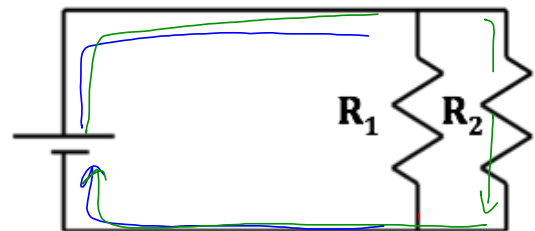
- **Series Circuits:**



- Current stays constant (one path)
- Voltage is divided  $R \uparrow V \uparrow$
- Equivalent Resistance  

$$R_{eq} = R_1 + R_2 + R_3 + \dots$$

▶ **Parallel Circuits:**



- Current gets split  
 $R \uparrow I \downarrow$
- Voltage is the same

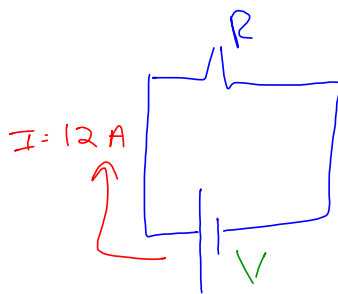
Equivalent Resistance

$$\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} + \dots$$

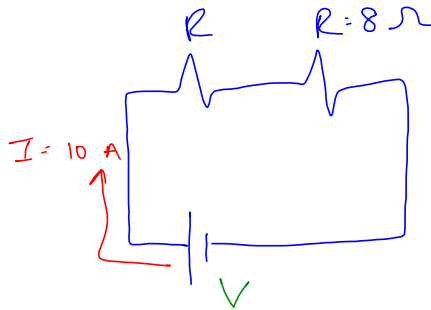
## Example 7



The current of a series circuit is originally 12.0 A. An 8.00  $\Omega$  resistor is added to the series which causes the current to drop to 10.0 A. If there was no change in voltage, what was the original resistance of the circuit?



$$V = IR = 12 \cdot R$$



$$V = IR$$

$$V = 10(R + 8)$$

$$12R = 10(R + 8)$$

$$\frac{1}{R_s} = \frac{1}{R} + \frac{1}{8}$$

$$R = 40 \Omega$$

## Example 8



Four identical light bulbs are connected in a **parallel** circuit. Each light bulb receives a current of 0.240 A. The equivalent resistance of the light bulbs is  $2.50 \Omega$ . What is the resistance of each individual bulb?

$$R = 10 \Omega$$